

Understanding Radiation Risk Through Deep Learning: Promise and Challenges

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Exposure to Ionizing Radiation: Health Risks and Uncertainties

- Exposure to ionizing radiation from natural and man-made sources is inevitable. Accurate risk assessment is essential for radiation protection.
- While high-dose IR effects are well-known, the health risks of low-dose IR (<100 mGy) remain uncertain and debated.
- Epidemiological studies are crucial, but significant uncertainties persist, especially in assessing low-dose risks.

Excess Relative Risk (ERR) Model

- Nonlinear parametric (NLP) models with Poisson loss:

$$\mu = \mu_0 (1 + ERR) = \mu_0 (1 + \rho(d)\gamma).$$

$$ERR = \rho(d)\gamma = \rho(d)\varphi(aa, ax, sx).$$

μ_0 = background rate (or mean count) function of sex, age, city, and NIC.

$\rho(d) = \tau_1 d + \tau_2 d^2$ (LQ), and $\gamma = \varphi(aa, ax, sx)$ is the age-related effect modification term

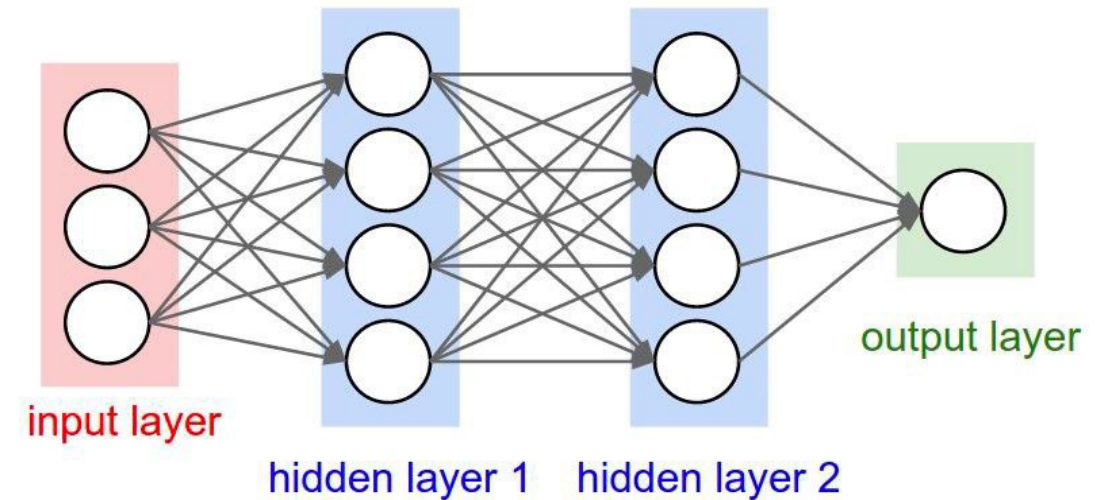
- A model has been used for radiation risk estimation over the last 40-50 years
- Simple and easy to interpret.

Motivation and Objective

- **Challenges in Parametric Radiation Dose-Response Models:**
 - Parametric models have been critiqued for inadequately addressing uncertainties in the low-dose range.
 - Age-related modifications in radiation risk are typically constrained by specific functional forms
- **Exploring Deep Learning for Radiation Risk Assessment:**
 - **Potential:** Greater accuracy and flexibility.
 - **Challenges:** Identifying and addressing limitations with DNN.
 - **Future Directions:** Integrating deep learning into risk models.
- **Investigating AI-Guided Parametric Models for Low-dose Radiation Risk Assessment**
 - Exploring how AI can enhance low-dose risk assessment.

Deep Learning

- **Deep learning, or deep neural networks (DNNs)**, is a key area of modern AI. Neural networks with multiple hidden layers are "deep," while those with one hidden layer are "shallow."
- **Types of Neural Networks:**
 - **Feed-Forward Neural Network (FNN):** Information flows from input to output.
 - **Recurrent Neural Network (RNN):** Models sequential data, ideal for time series.
 - **Convolutional Neural Network (CNN):** Processes spatial/temporal data, used in image recognition like chest X-rays.



The Two Datasets

- **Solid Tumor Incidence Data**

- **Dataset:** 25,570 person-year cells, covering 2,764,735 person-years of follow-up.
- **Cases:** 17,448 solid tumor cases among 105,427 survivors.
- **Radiation Risk Estimation:** Based on person-year weighted, adjusted, and truncated colon dose.

- **Leukemia Data (1950–2001)**

- **Cases:** 491 leukemia cases among 113,011 survivors.
- **Stratification:** Age at exposure, attained age, time since exposure, gender, city, and NIC (Not in City).
- **Radiation Risk Estimation:** Based on person-year weighted, adjusted, and truncated marrow dose.

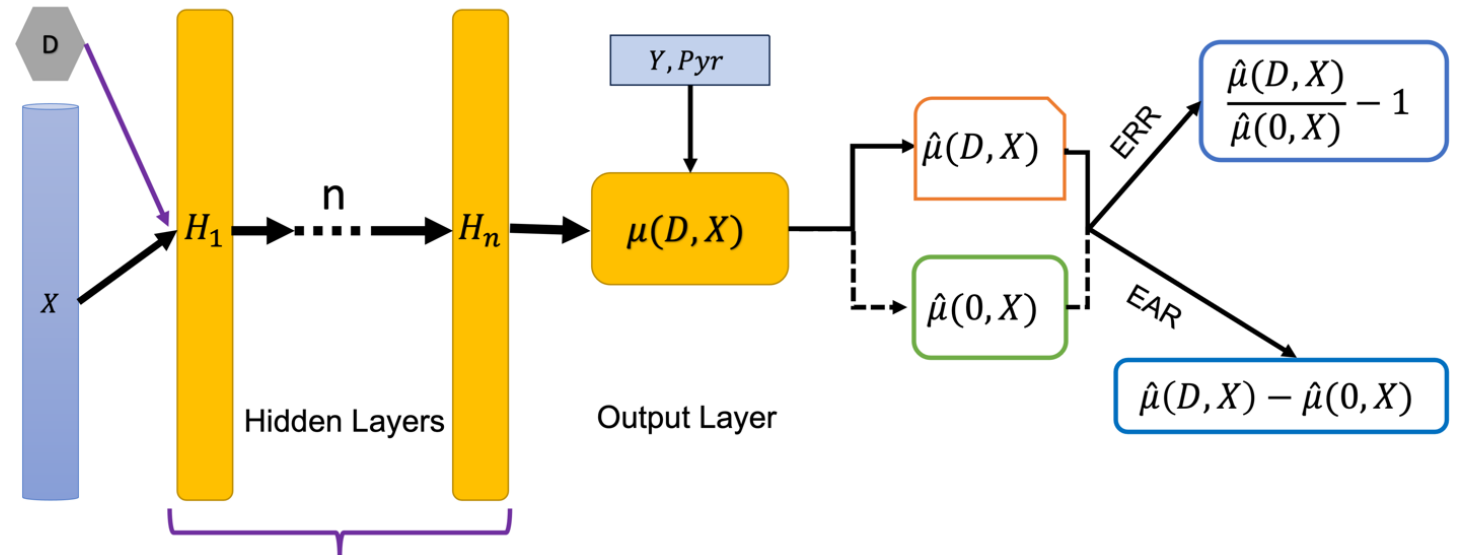
- **References:**

- [1]. D. L. Preston, E. Ron, S. Tokuoka, et al. (2007), Solid Cancer Incidence in Atomic Bomb Survivors: 1958 – 98. Radiat.Res. 167 (2007).
- [2]. Hsu WL, Preston DL, Soda M, et al. (2013). The incidence of leukemia, lymphoma and multiple myeloma among atomic bomb survivors: 1950–2001. Radiat Res 2013; 179(3):361–82.

DNN Models for Estimating ERR and EAR

Model Architecture

- **Structure:** A DNN with three hidden layers, an input layer, and an output layer.
- **Hidden Layers:** 64, 32, and 16 nodes in H_1, H_2 , and H_3 , respectively.
- **Model Selection:** 5-fold cross-validation.
- **Loss function:** Negative Poisson log-likelihood.



DNN Models for Radiation Risk Estimation

- **Data-Driven and Model-Free:**
 - Feedforward deep neural networks (DNNs) are model-free, meaning they approximate the underlying function without encoding any specific functional form.
- **Nonlinear:**
 - DNNs are inherently nonlinear and do not rely on predefined parametric settings.
- **Learning from Data:**
 - The models infer the dose-response relationship directly from data, without imposing a predefined functional form.

Assessing ERR with DNN

Relative Risk (RR) Estimation

- **Expected Incidence:** $\hat{\mu}_i = E(Y_i | \phi(x_i, W)) = P y_i e^{\phi(x_i, W)}$
- **Baseline Risk:**
 - Compute $\hat{\mu}_{i0}$ by setting the radiation dose to zero.
 - Estimate baseline absolute risk as $\hat{\mu}_{i0} / P y_i$.
- **Calculating RR and ERR:**
 - **Relative Risk (RR):** $RR_i = \hat{\mu}_i / \hat{\mu}_{i0}$,
 - **Excess Relative Risk (ERR):** $ERR_i = \hat{\mu}_i / \hat{\mu}_{i0} - 1$.
- **Model Performance Evaluation:**
 - **Primary Metric:** Average negative log-likelihood on test data
 - **Additional Metrics:** RMSE, MAE, mean Pearson residuals, and mean Poisson deviance loss.

Two standard NLP Models to Compare

- **Solid Tumor:**

$$\mu = Pyr_k \times \exp\{\alpha_1 M + \alpha_2 F + \alpha_3 H + \alpha_4 mlage70 + \alpha_5 flage70 + \alpha_6 lagesq + \alpha_7 me30 + \alpha_8 fe30 + \alpha_9 nic\} \left(1 + \beta_1 D \times \exp\left(\gamma_1 \left(\frac{ax-30}{10}\right) + \gamma_2 \log\left(\frac{aa}{70}\right)\right)\right).$$

- **Leukemia:**

$$\mu = Pyr_{10k} \times \exp\left\{\alpha_0 + \alpha_1 F + \alpha_2 Ng + \alpha_3 yob + \alpha_4 yob^2 + \alpha_5 \log\left(\frac{aa}{70}\right) + \alpha_6 hnic + \alpha_7 nnic\right\} \left(1 + (\beta_1 D + \beta_2 D^2) \exp\left(\gamma_1 \log\left(\frac{sx}{40}\right) + \gamma_2 \log\left(\frac{aa}{70}\right)\right)\right).$$

Performance Comparison of DNN and NLP Models for Tumor Incidence

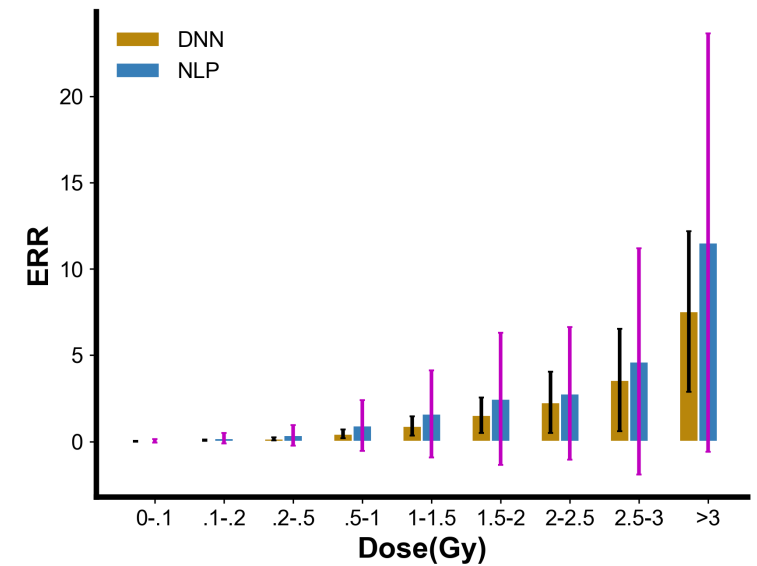
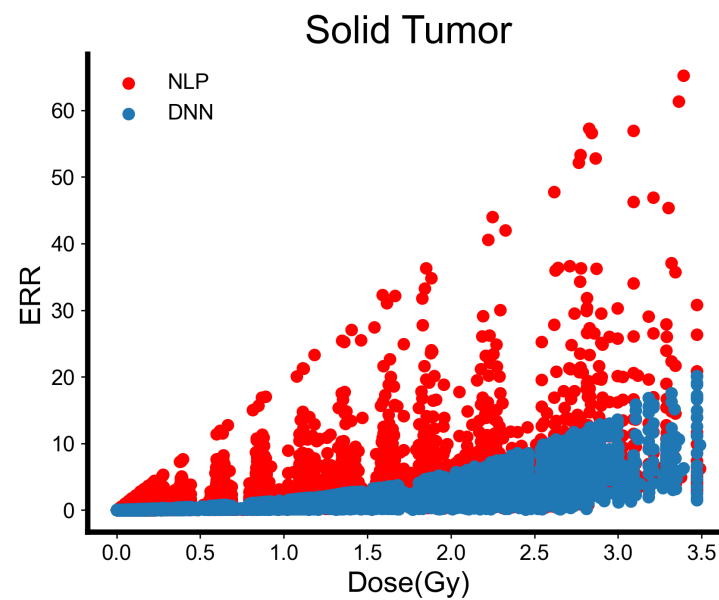
Tumors	Models	MNLL	MPDL	MPR	MAE	RMSE
Leukemia	NLP	0.044	0.070	0.152	0.019	0.095
	DNN	0.044	0.070	0.151	0.018	0.095
Solid Tumors	NLP	0.619	0.587	0.567	0.413	0.849
	DNN	0.618	0.585	0.566	0.409	0.839

Table 1: MNLL: mean negative log-likelihood; MPDL: mean Poisson deviance loss; MPR: mean Pearson residuals; MAE: mean absolute error; and RMSE: root mean square error. A bolded smaller number denotes better performance.

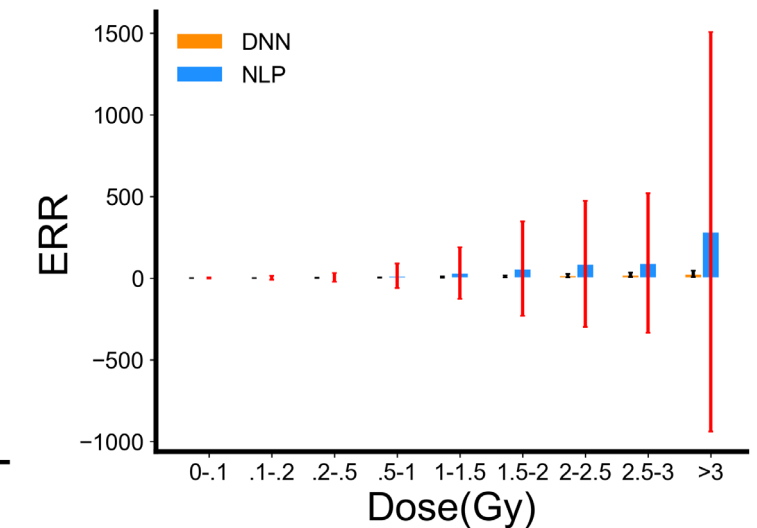
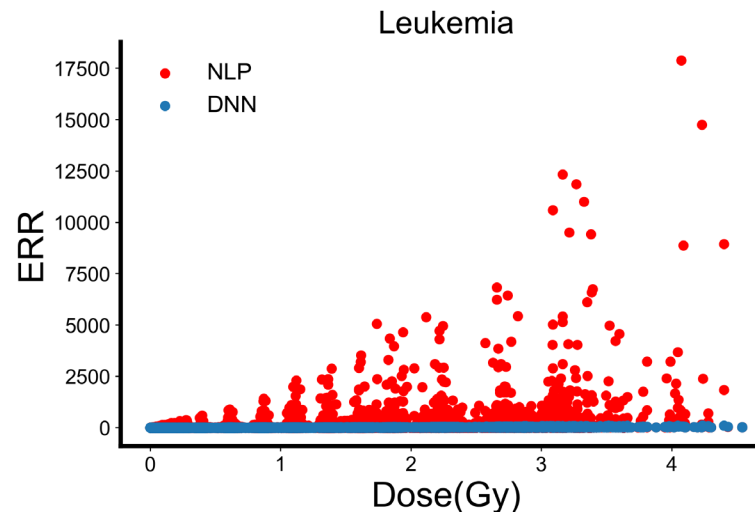
- DNN achieves comparable performance in predicting leukemia incidences and better performance in predicting solid tumor incidence.

Differences in ERR Estimation

- DNN and NLP models yield significantly different ERRs across dose ranges, despite similar performance in predicting mean incidence (μ).
- The functional form of a parametric model can significantly impact ERR estimation.
- Good tumor incidence prediction doesn't guarantee accurate ERR estimation.
- The ground truth for ERRs is unknown.



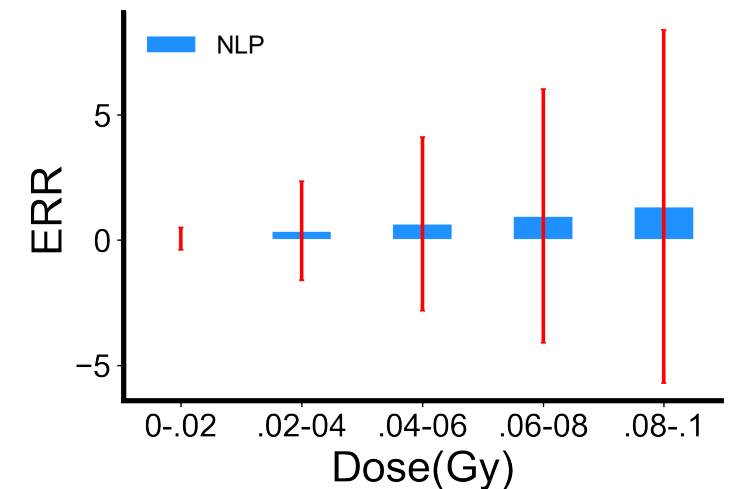
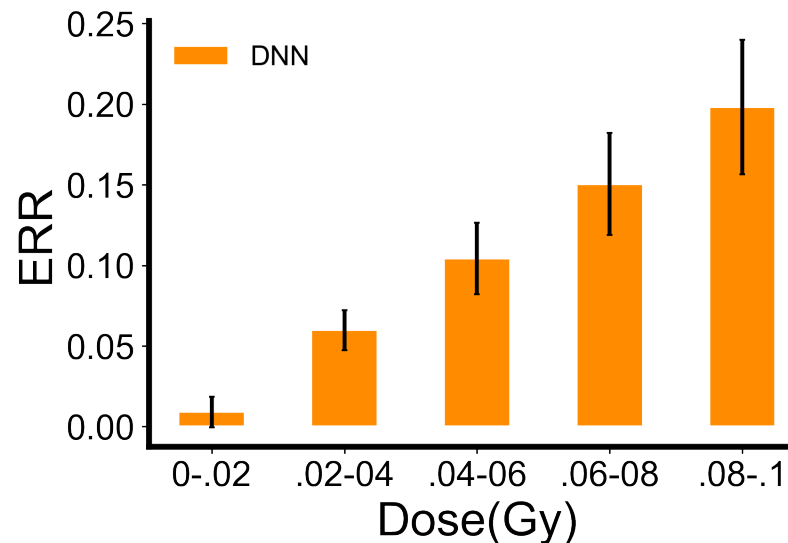
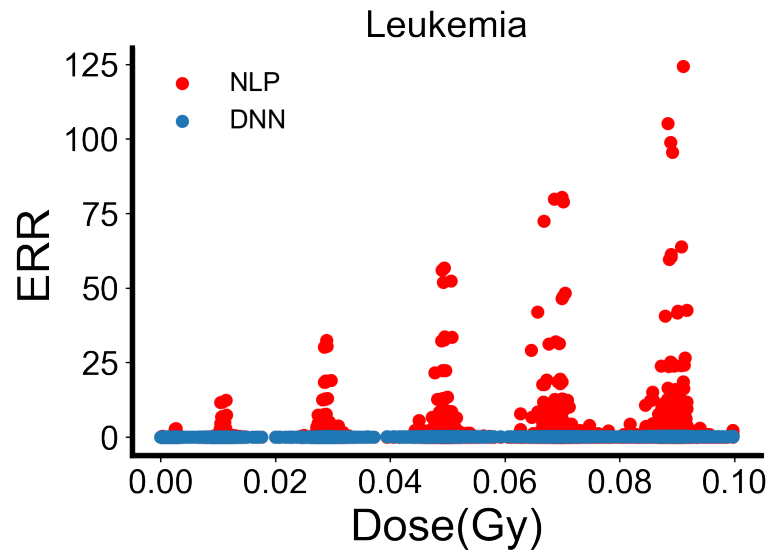
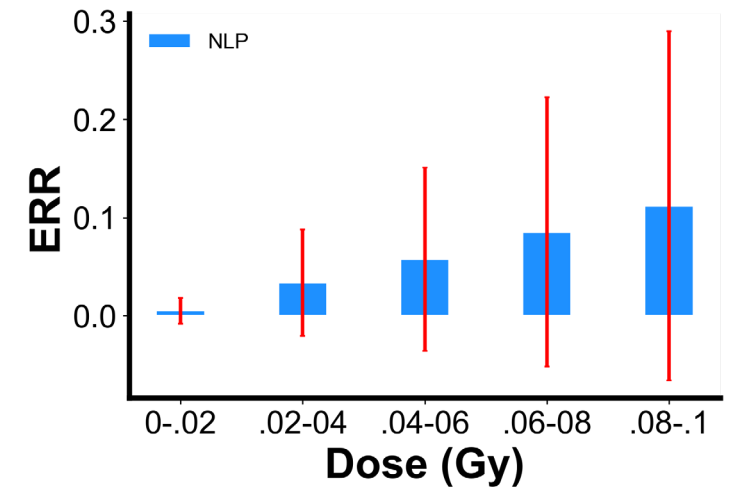
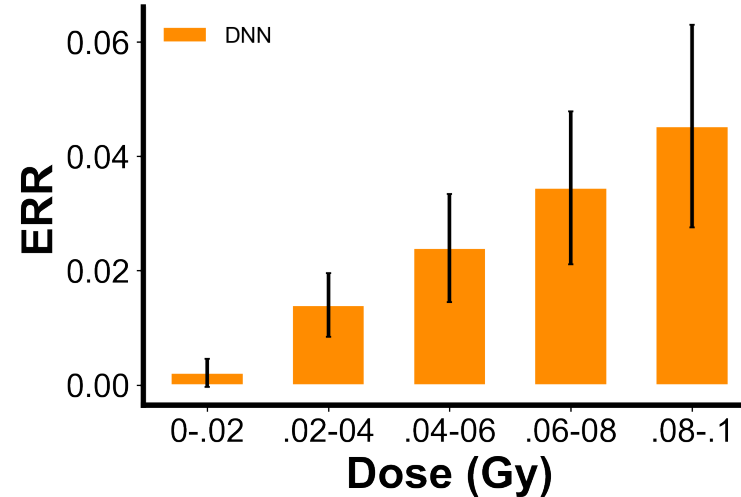
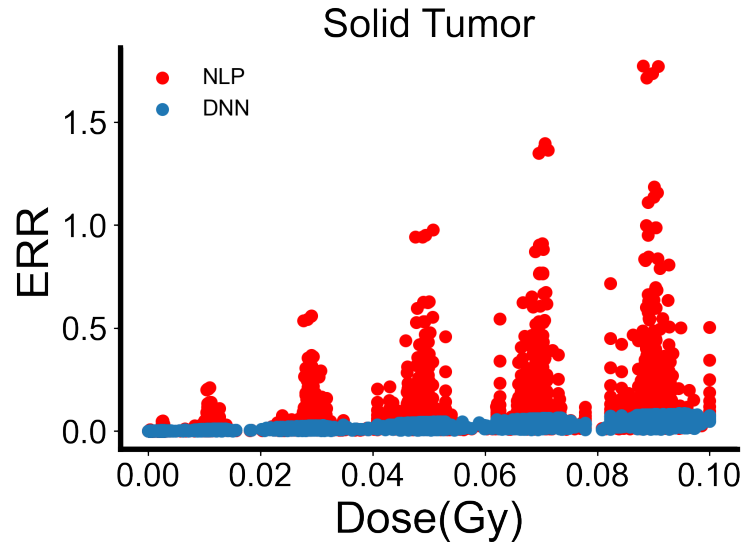
$$ERR = 0.426159D \exp\left(-0.156699\left(\frac{ax - 30}{10}\right) - 2.10184\log\left(\frac{aa}{70}\right)\right)$$



$$ERR = (0.5071D + 0.2510D^2) \exp\left(-0.5762\log\left(\frac{sx}{40}\right) - 3.0655\log\left(\frac{aa}{70}\right)\right)$$

Differences in ERR Estimation at Low-doses

- Similar results are observed in the low-dose range (<100 mGy).



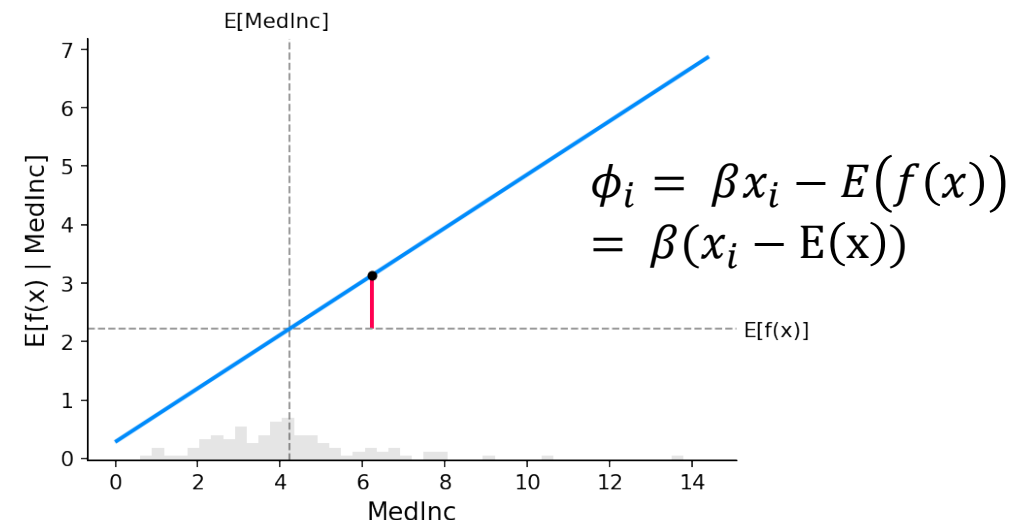
Explainable AI with SHAP Values

SHAP (SHapley Additive exPlanations) values, derived from game theory, quantify the contribution of each variable to a model's prediction.

- SHAP Values decompose model predictions into additive contributions from different variables, offering a clear measure of feature importance.
- In linear models, variable importance is assessed by the magnitude of coefficients.
- SHAP values generalize this concept to any machine learning model, capturing both linear and nonlinear effects.

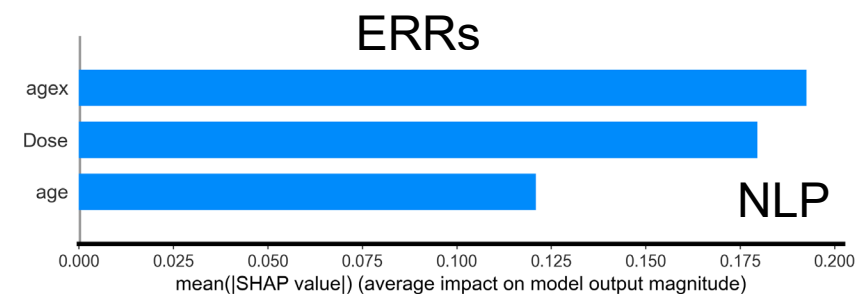
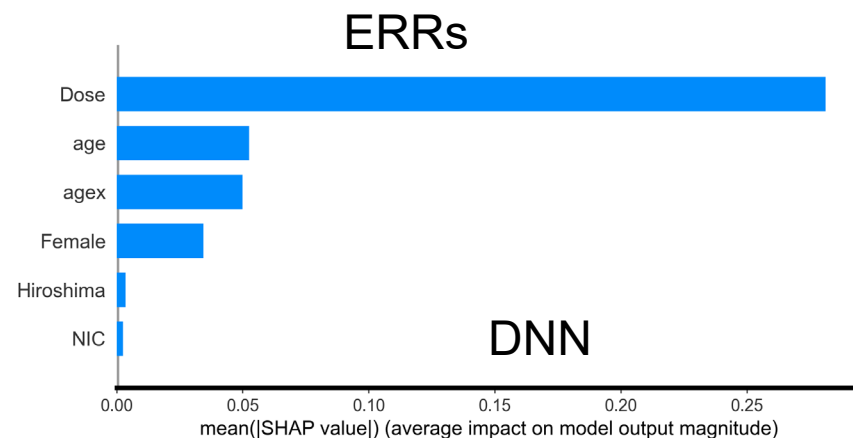
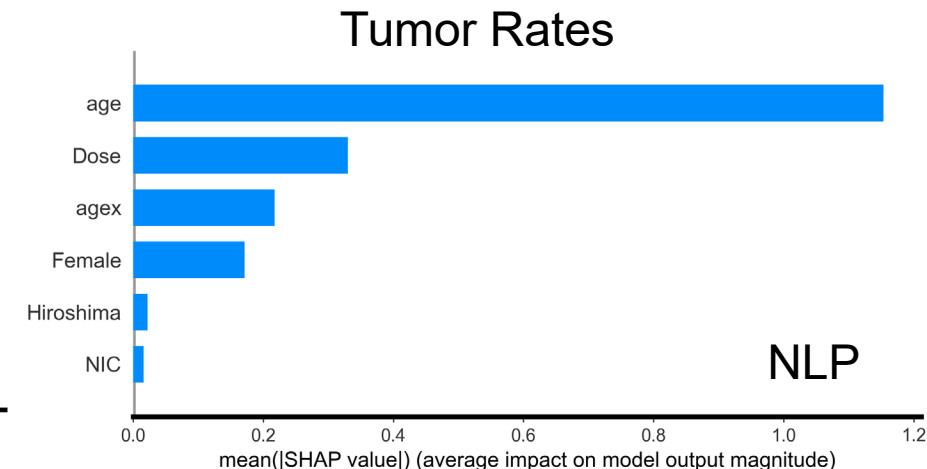
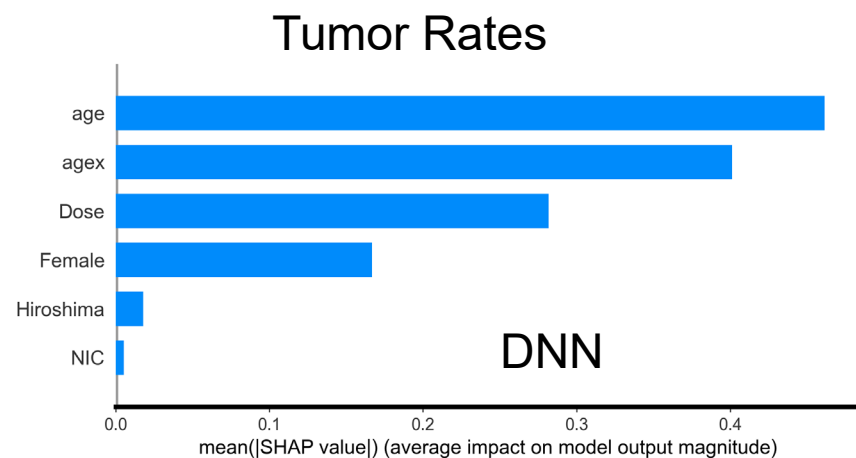
Reference

- [1] Lundberg, Scott M., and Su-In Lee. "A unified approach to interpreting model predictions." *Advances in Neural Information Processing Systems* (2017)
- [2]. Janzing, Dominik, Lenon Minorics, and Patrick Blöbaum. "Feature relevance quantification in explainable AI: A causal problem." *International Conference on Artificial Intelligence and Statistics*. PMLR (2020).



SHAP Values for Solid Tumor Rates and ERRs

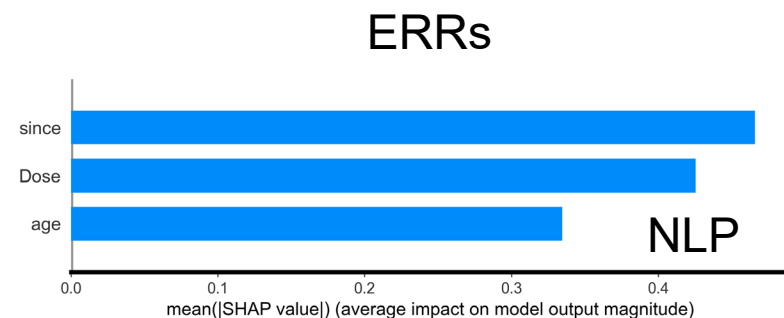
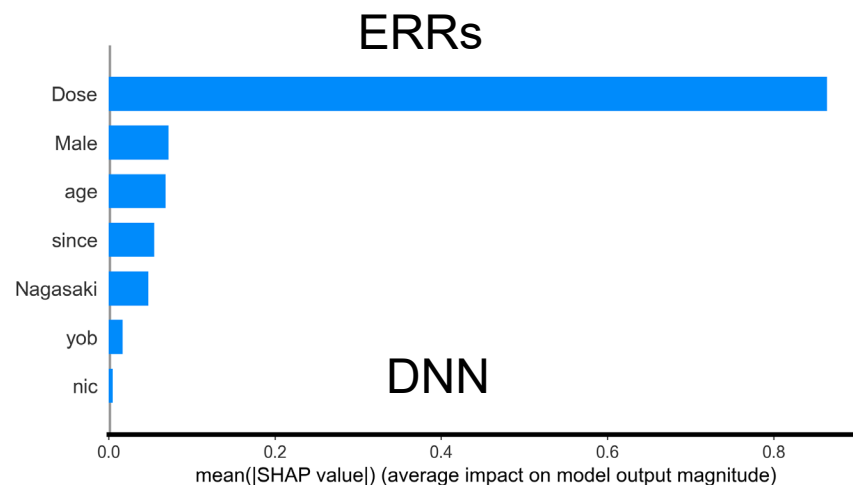
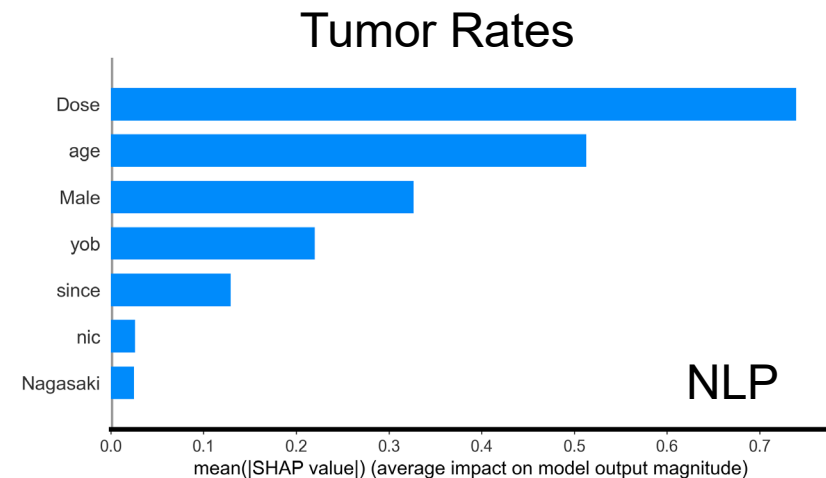
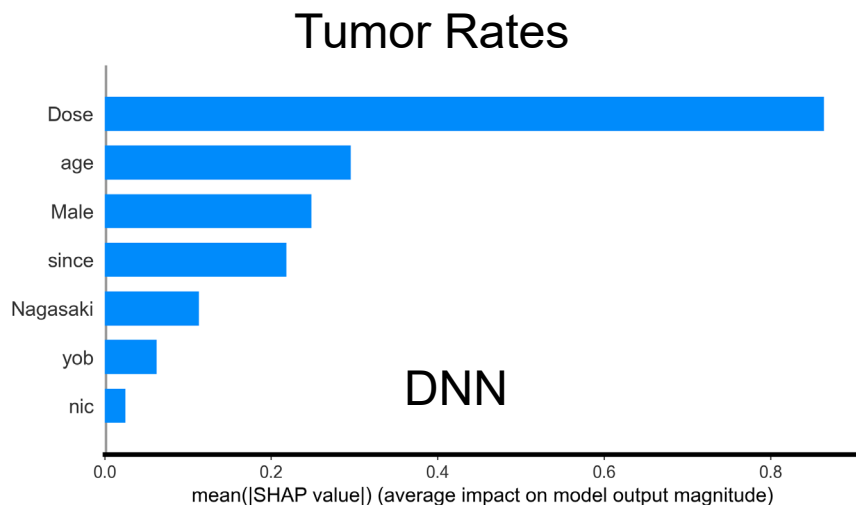
- The top four factors influencing tumor incidence (rates) in both the DNN and NLP models are age, agex, radiation dose, and gender, with age being the most significant factor.
- Despite the similarity in feature importance for tumor incidence between DNN and NLP models, the feature importance for ERR differs significantly between the two models.
- The results from the DNN model align well with intuitive expectations.
- The age modification term may contribute to the observed discrepancies.



$$\text{ERR} = 0.42616D \times \exp\left(-0.1567\left(\frac{ax-30}{10}\right) - 2.1018\log\left(\frac{aa}{70}\right)\right)$$

SHAP Values for Leukemia Rates and ERRs

- The top three factors influencing tumor incidence (rates) in both the DNN and NLP models are radiation dose, age, and gender, with radiation dose being the most significant factor.
- Despite the similarity in feature importance for tumor incidence between DNN and NLP models, the feature importance for ERR differs significantly between the two models.
- The results from the DNN model align well with intuitive expectations.
- The age modification term in parametric model may contribute to the observed discrepancies.



$$ERR = (0.5071D + 0.251D^2) \times \exp\left(-0.5762\log\left(\frac{sx}{40}\right) - 3.0655\log\left(\frac{aa}{70}\right)\right)$$

Discrepancies in ERR Estimates Between DNN and NLP Models Despite Similar Tumor Risk Predictions

- Radiation Risk is estimated indirectly as part of the tumor Risk:

$$\mu = \mu_0 (1 + ERR) = \mu_0 (1 + \rho(d)\varphi(aa, ax, sx)).$$

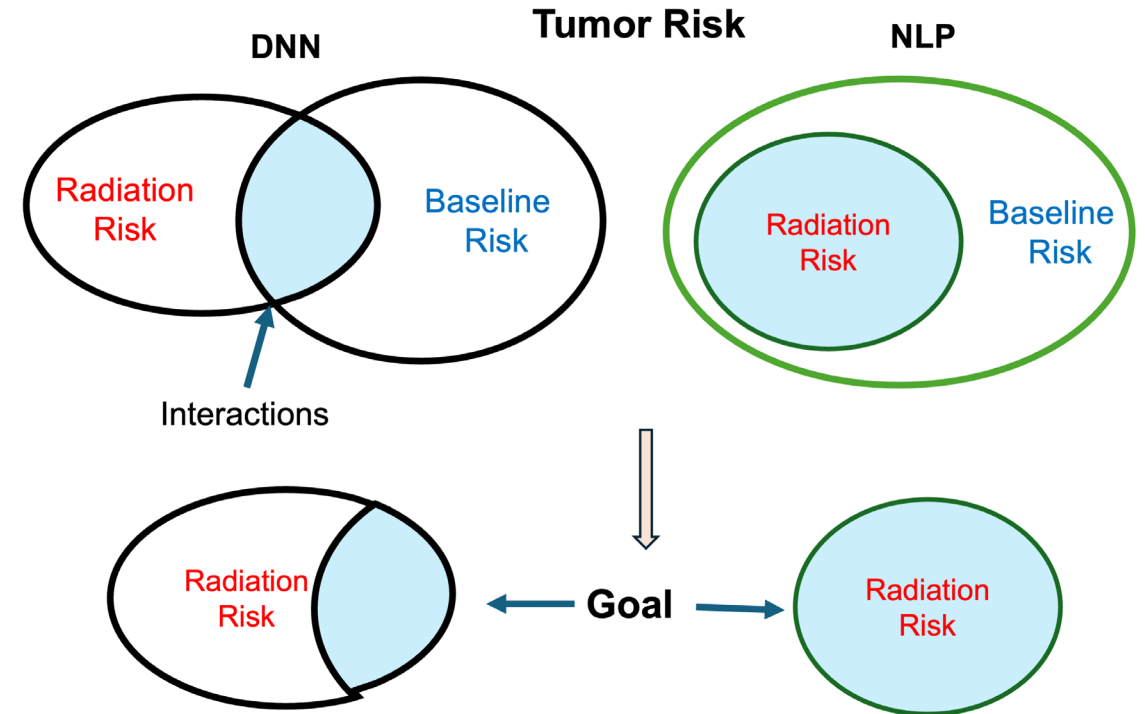
Even if two models have similar tumor risk, differences in the baseline function form of $\mu_0(X)$ or variations in effect modification (interaction) terms in a parametric model can lead to substantial differences in radiation risk assessments.

Assumptions of NLP Models

- Radiation affects tumor risk only through the interaction of age and dose: $ERR = 0.42616D \times \exp\left(-0.1567\left(\frac{ax-30}{10}\right) - 2.1018\log\left(\frac{aa}{70}\right)\right)$.
- Radiation risk depends on dose in a linear or linear-quadratic manner, while its association with age follows an exponential or power function.

What Do SHAP Values of the DNN Model Reveal?

- Radiation contributes to tumor risk both independently and through interactions with baseline variables.
- After adjusting for baseline effects on tumor risk, the contribution of baseline variables to tumor (radiation) risk will be smaller, aligning well with intuitive expectations.



Barriers for DNN in Radiation Risk Estimation

Prediction vs. Inference

- Prediction:
 - **Goal:** Accurately estimate or forecast unknown outcomes using complex models.
 - **Focus:** Maximizing predictive accuracy, often at the cost of interpretability.
- Inference:
 - **Goal:** Estimate parameters and test hypotheses to understand relationships.
 - **Focus:** Prioritizes interpretability and understanding the data-generating process.

Baseline Risk and Effect Modifications

- **Challenge:** Identifying the sources of baseline risk and effect modification in a parametric model.
 - **Learning from Data:** Can we rely on DNNs to detect baseline risk and model effect modifications automatically ?
 - **Domain Knowledge:** Should modifications be guided by radiation physics or biology?
 - **Impact:** Balancing data-driven learning with domain expertise remains a key challenge.

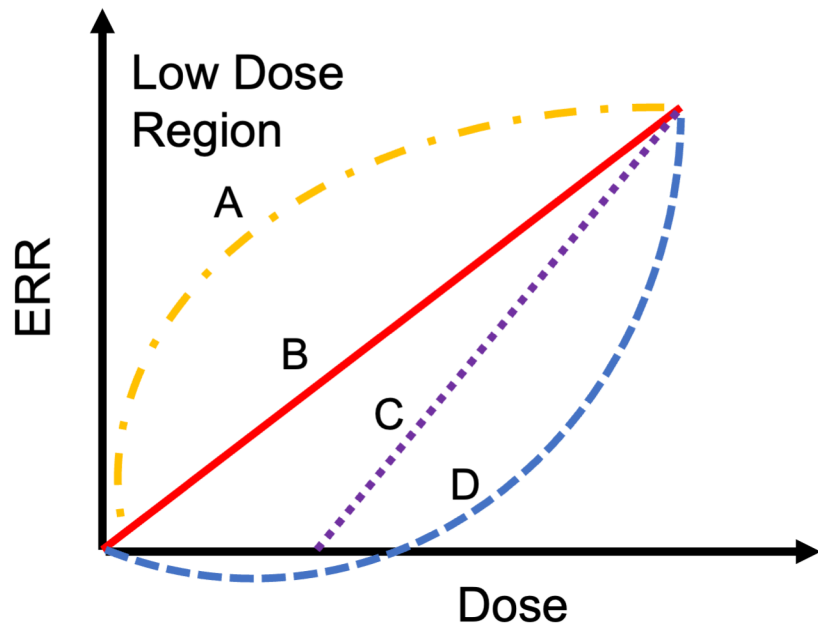
Complexity in Modeling: DNNs are intricate and less interpretable; Require substantial computational resources; Estimating confidence intervals in DNNs is non-trivial.

Low-Dose Radiation Risk Estimation Guided by DNN

- Individual tumor risks vary significantly.
- Radiation risks at low doses (<100 mGy) are also likely heterogeneous.
- Epidemiological evidence on low-dose radiation risk is crucial for radiation protection and policymaking, but its carcinogenic effects remain unclear.
- Standard parametric models struggle to detect statistically significant ERRs at low-doses.

Goal: Leverage DNN-learned individual risk heterogeneity to improve low-dose radiation risk assessment.

Four Candidate Models at Low-Dose

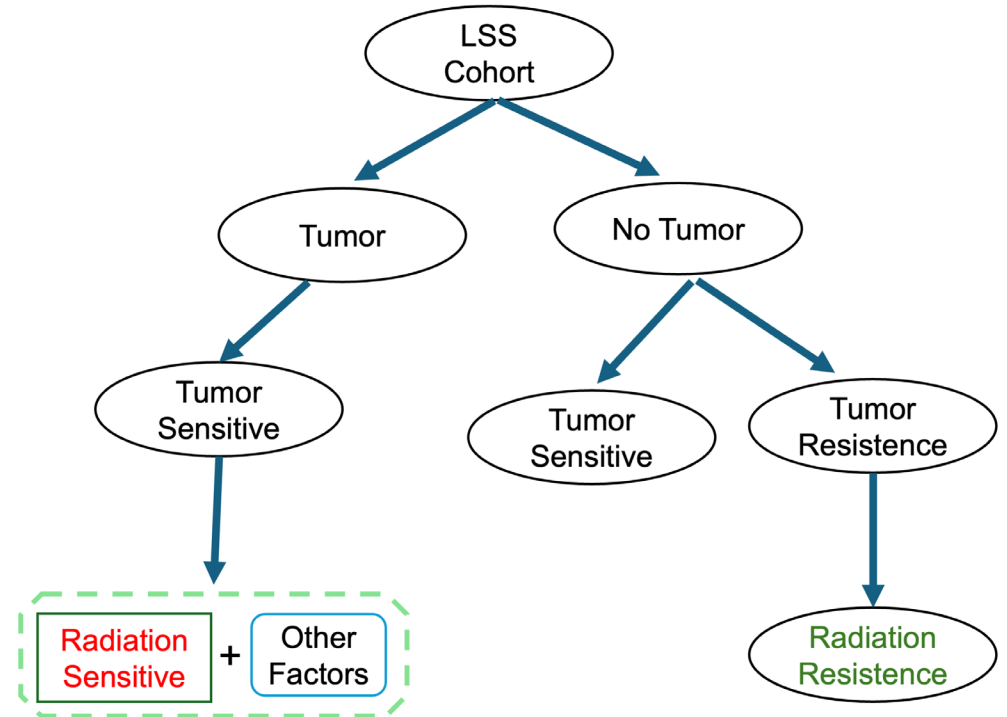


- A: Supra-linear
- B: Linear no threshold (LNT)
- C: Threshold
- D: Hormesis

- Linear-no-threshold (LNT) model is the most widely adapted model by regulatory bodies.
- It relies on low-dose extrapolation.
- Threshold model has zero (or near zero) ERR at low dose. It believes that very small IR exposures are harmless. It has made more noises in recent years
- Most epidemiological studies analyze data as a whole and overlooking the heterogeneity

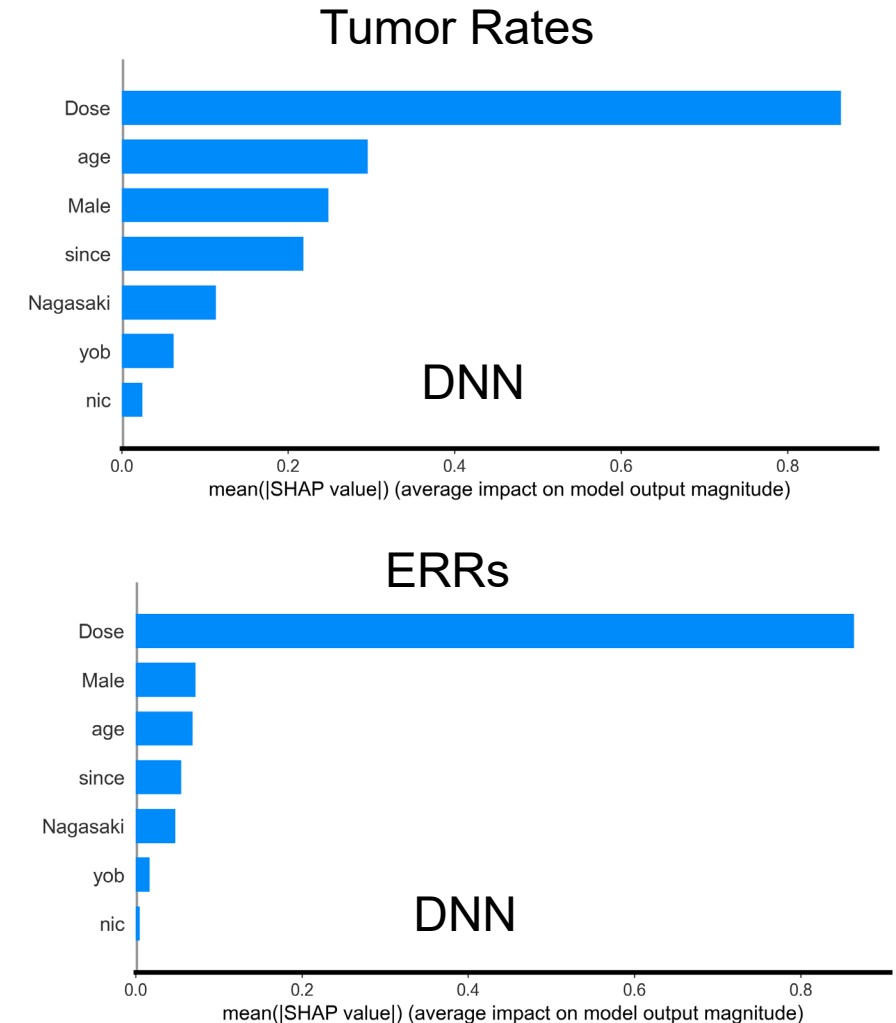
Tumor Sensitivity vs. Radiation Sensitivity: Resistance and Susceptibility

- **Tumor-Sensitive Individuals:** Develop tumors and are influenced by various risk factors, including radiation.
- **Tumor-Resistant Individuals:** Never develop tumors despite exposure to all potential risk factors, including radiation.
- **Uncertainty in Tumor-Free Cases:**
 - Some tumor-free individuals may still be **tumor-sensitive** but have not developed a tumor yet.
 - Others are truly **tumor-resistant**, meaning they are also **radiation-resistant**.



Insights from SHAP Values of DNN in Leukemia Risk Estimation

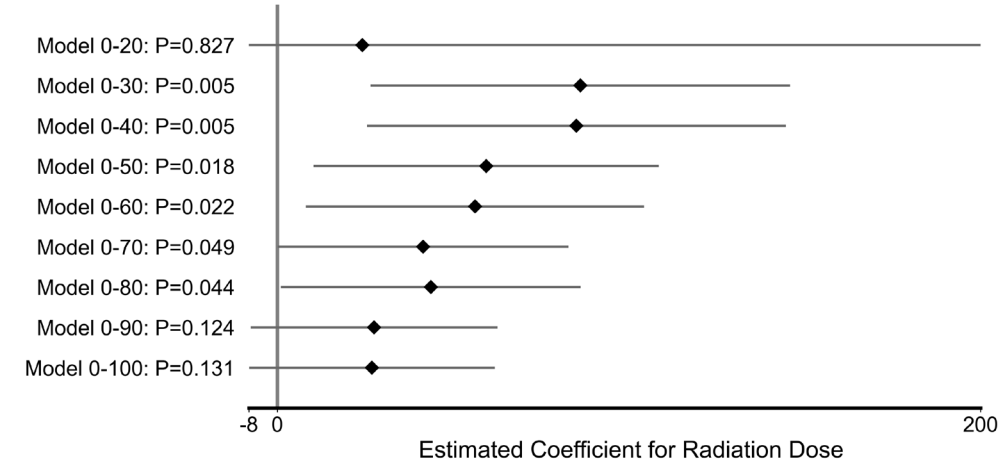
- SHAP values from DNN indicate that radiation dose is a dominant factor for both tumor rates and radiation risk (ERRs) in leukemia.
- Subjects with leukemia are likely more radiation-sensitive.
- Since we can not distinguish radiation sensitive from resistance in subjects without leukemia, we fit a zero-truncated Poisson (ZTP) model from dose = 0 to the given dose using only subjects with leukemia.
- **Goal:** Fit a ZTP model using only the known radiation-sensitive group.



Low-Dose Radiation Risks for Leukemia

- Fitting a zero-truncated Poisson regression (log-linear) model from 0 to the given dose after transforming:
 $\log(1 + d)$, $\log\left(\frac{agex}{30}\right)$,
and $\log\left(\frac{since}{40}\right)$.
- Statistically significant coefficients and ERRs are detected for leukemia-sensitive subjects in the 30mGy–80mGy dose range.
- ERRs for leukemia at low doses are highly nonlinear, with $\beta \gg 2$.

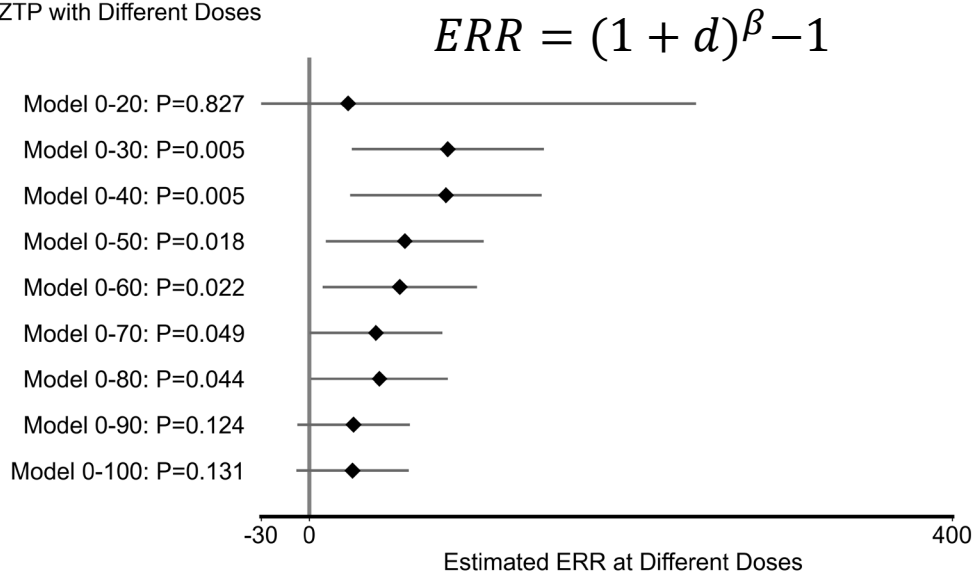
ZTP with Different Doses



Coefficients for Radiation Dose

Coefficients	95% CI
24.218	(-192.333, 240.768)
86.204	(26.555, 145.853)
85.054	(25.509, 144.599)
59.435	(10.365, 108.505)
56.267	(8.224, 104.31)
41.484	(0.142, 82.825)
43.704	(1.097, 86.31)
27.548	(-7.513, 62.61)
26.93	(-7.987, 61.847)

ZTP with Different Doses



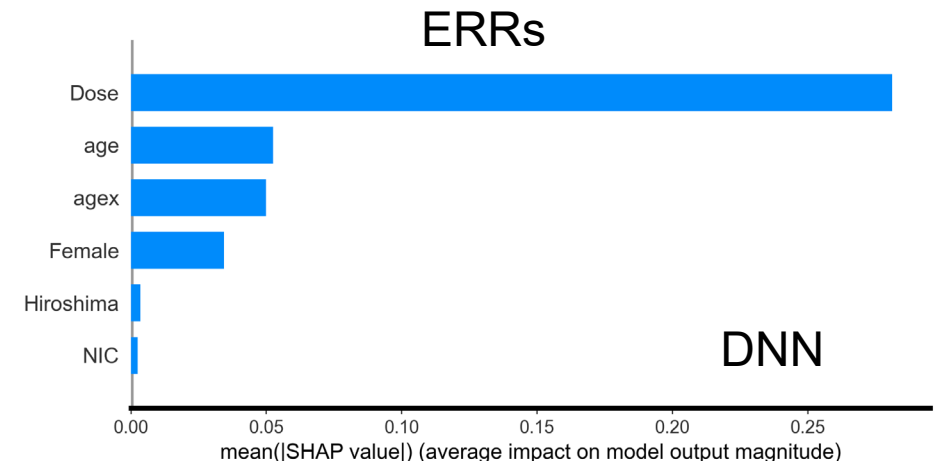
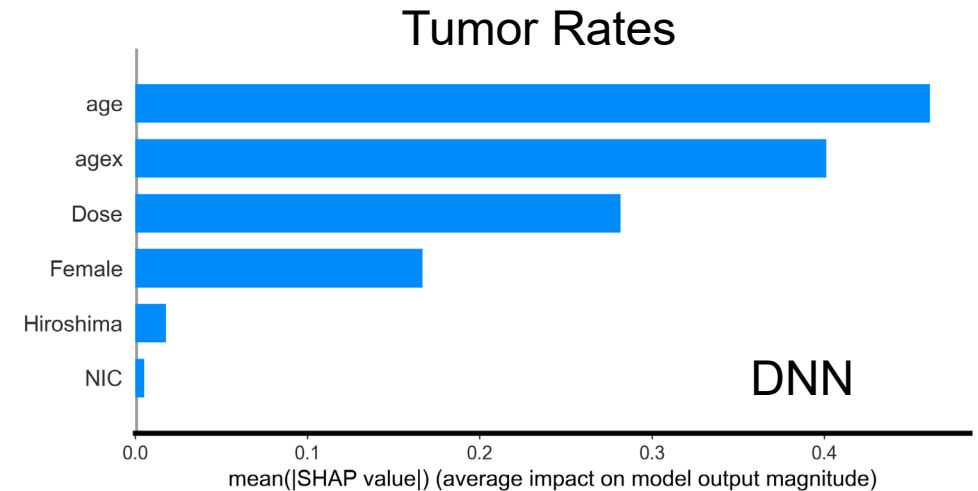
ERR at Radiation Dose

Coefficients	95% CI
24.218	(-192.333, 240.768)
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Insights from SHAP Values of DNN in Solid Tumor Risk Assessment

SHAP Values from the DNN Model Indicate:

- The top risk factors for solid tumors are **attained age** and **age at exposure (agex)**.
- **Radiation dose is the third most important factor** for tumor incidence.
- Individuals with solid tumors are **not necessarily radiation-sensitive**.
- Since **age** and **agex** are **strongly associated with tumor rates**, they may help distinguish **tumor-resistant vs. tumor-sensitive groups**.
- **Goal:** Exclude the tumor resistance group from the data analysis using zero-inflated Poisson (ZIP) regression.

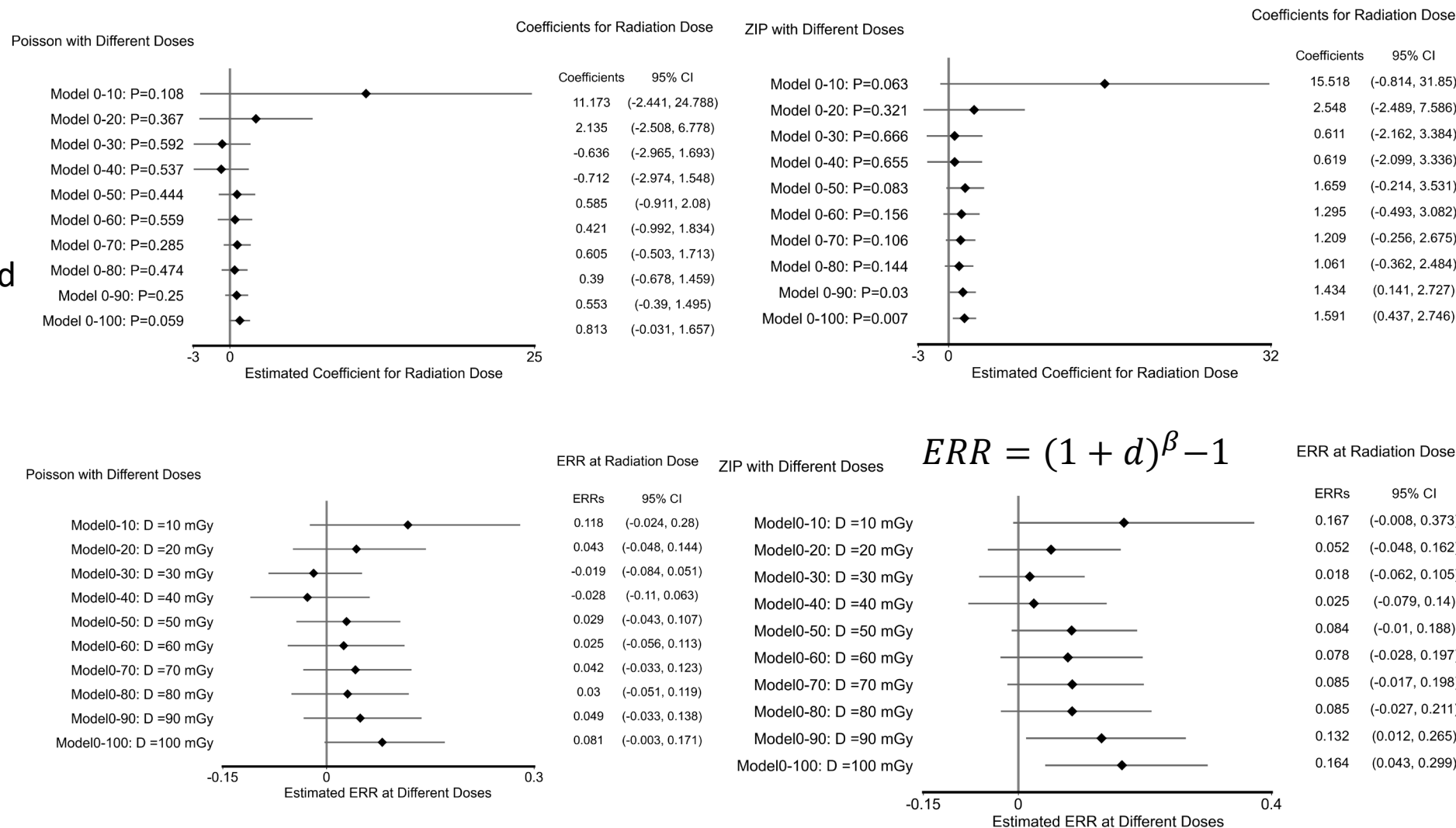


Zero-Inflated Poisson (ZIP) Regression: Accounting for Heterogeneity in Solid Tumor

- Not everyone develops tumors, and some groups may have inherent resistance.
- The ZIP model assumes **two processes**:
 - A **binary process** where some individuals are not at risk at all (structural zeros).
 - A **Poisson-distributed count process** for individuals who are at risk.
- ZIP allows researchers to **distinguish tumor-sensitive individuals from tumor-resistant ones** based on covariates.
- SHAP value of DNN is useful for identifying factors (age and age²) that determine whether an individual belongs to the "at-risk" group.
- ZIP for person-year data is equivalent to Cure model for individual survival data

Low-Dose Radiation Risk for Solid Tumor (ZIP vs Poisson)

- A ZIP model and a Poisson model were fitted using transformed variables: $\log(1 + d)$, $\log\left(\frac{age}{30}\right)$, and $\log\left(\frac{since}{40}\right)$.
- The ZIP model outperformed the Poisson model, yielding smaller AIC values.
- Statistically significant coefficients and ERRs were detected for solid tumors at 90 mGy and 100 mGy.
- ERRs for solid tumors at low doses follow a linear-quadratic pattern, with $1 < \beta < 2$.



Conclusions

- DNN models may offer new insights into radiation risk assessment.
- SHAP values can help identify radiation-sensitive and radiation-resistant groups.
- Considering tumor heterogeneity may enhance low-dose radiation risk assessment for leukemia and solid tumors.
- Dose-response relationships at low doses may vary across tumor types and individuals.
- Identifying radiation-sensitive groups using epidemiological data alone is challenging, as tumor sensitivity does not always imply radiation sensitivity.
- If a low-dose threshold exists, it may vary by tumor type and individual.
- Integrating epidemiological data with insights from radiation biology and physics may improve identification of radiation-sensitive and resistant groups.
- Personalized radiation risk assessment holds promise for future advancements.

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